

**OBSTRUCTIONS TO LIFTING COCYCLES ON GROUPOIDS  
AND THE ASSOCIATED  $C^*$ -ALGEBRAS**

In this talk that is based on joint work with Alex Kumjian I present the construction of groupoid twists given a short exact sequence of locally compact abelian groups  $0 \rightarrow A \rightarrow B \rightarrow C \rightarrow 0$  and a continuous  $C$ -valued 1-cocycle  $\phi$  on a locally compact Hausdorff groupoid  $\Gamma$ . The twist is trivial if and only if  $\phi$  lifts. The cocycle determines a strongly continuous action of  $\widehat{C}$  into  $\text{Aut } C^*(\Gamma)$  and we prove that the  $C^*$ -algebra of the twist is isomorphic to the induced algebra of this action if  $\Gamma$  is amenable. We apply our results to a groupoid determined by a locally finite cover of a space  $X$  and a cocycle provided by a Čech 1-cocycle with coefficients in the sheaf of germs of continuous  $\mathbb{T}$ -valued functions. We prove that the  $C^*$ -algebra of the resulting twist is continuous trace and we compute its Dixmier-Douady invariant.